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# A Framework with Cucho Algorithm for discovering Regular Plans in Mobile Clients

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**Abstract.** In a mobile computing system, broadcasting has become a very interesting and challenging research issue. The server continuously broadcasts data to mobile users; the data can be inserted into customized size relations and broadcasted as Regular Broadcast Plan (RBP) with multiple channels. Two algorithms, given the data size for each provided service, the Basic Regular (BRA) and the Partition Value Algorithm (PVA) can provide a static and dynamic RBP construction with multiple constraints solutions respectively. Servers have to define the data size of the services and can provide a feasible RBP working with many broadcasting plan operations. The operations become more complicated when there are many kinds of services and the sizes of data sets are unknown to the server. To that end a framework has been developed that also gives the ability to select low or high capacity channels for servicing. Theorems with new analytical results can provide direct conditions that can state the existence of solutions for the RBP problem with the compound criterion. Two kinds of solutions are provided: the equal and the non equal subrelation solutions. The Cucho Search Algorithm (CS) with the Levy flight behavior has been selected for the optimization. The CS for RBP (CSRBP) is developed applying the theorems to the discovery of RBPs. An additional change to CS has been made in order to increase the local search. The CS can also discover RBPs with the minimum number of channels. From all the above modern servers can be upgraded with these possibilities in regards to RBPs discovery with fewer channels.

## INTRODUCTION

Many popular applications such as business activities and weather prediction are based on mobile computing. A server can continuously broadcast data to mobile users. The users have to wait for their requested data to present them on channels. The expected delay of data items is called waiting time. The broadcast channels are also known as “broadcast disks” [1]. There are three basic data broadcasting design methods: the flat, the skewed and the regular. The first two have attracted a great amount of attention [1],[2],[3],[4],[8]. The objective of broadcasting plan is to reduce the expected delay. In this context and based on data popularity, partition methods have been developed [2]. For the flat design the bigger the size of the data set to be transmitted by the server, the higher the expected delay. In large cycles of a flat design users have long wait before getting data that had preciously missed. A higher number of channels is used, for the long broadcast cycle, to reduce the waiting time. For the skewed design, the most frequently requested data are directed to fast channels, and the cold data to slow channels. The regular design is based on the attribute of equal spacing and offers channel availability and energy conservation. It outperforms the flat one by providing shorter average waiting time for both single and multiple channels. In our work it is considered that the users of the popular sets can find their data in the same channel while the users of the last set (most unpopular) have to use other channels as well. In previous work [5], a method used was based on the known size of data sets. The server works with a set of different message (service) queues and has to define the size of data of each set to be processed in order to create an RBP. This problem becomes complicated when there are many categories of data sets and the need for RBPs solution becomes more necessary. The correct selection of the size of data becomes key for an RBP creation. It is considered that there are queues for the various data sets and the scheduler gets packets of them in a cycle (starting from the frequently requested data to the cold data) and transfers them into the main queue. The main purpose of this work is to prepare a framework that will include the structure of the data, the server

operations in order to provide an RBP. To this end, some theorems have been developed.

The Cuckoo Search Algorithm (CS) based on the Levy flight behavior and brood parasitic behavior is introduced [7]. The CS has been proven to deliver excellent performance, among others, in function optimization and neural networks training and engineering design.

For the server there is a need to discover Regular Plans for answering the users' mobile queries. The problem stated on the computation of the size of data of different services so that an RBP or RBPs will be feasible. An RBP is considered feasible if it follows the criteria, as will be developed next and with the smaller number of channels. For this purpose a framework with a set of service queues along with the main queue is considered. In addition, solutions for low and high capacity channels are given based on the grouping length. A Cuckoo Search for Regular Plans (CSR) is developed which can find solutions for servers with a diversity of services and a big size of messages. Solutions with equal and different subrelations are provided.

The paper is organized as follows. In Section 2, and 3 the model description with some analytical results is provided. Sections 4, and 5 the CS algorithm and the CSR are developed, respectively. Finally, simulation results are provided in Section 6.

## MODEL DESCRIPTION

### Relations, definitions, Criteria in the Broadcast Plan

The likelihood of having a full BP, is studied by using relations iteratively starting from the last set  $S_3$ . For this purpose three sets  $S_i$  ( $i=1,2,3$ ) with their sizes  $S_{is}$  so that  $S_{1s} \leq S_{2s} \leq S_{3s}$  are considered. A set of relations can be created using the  $S_1, S_2, S_3$ , considering different number of relations ( $n_{rel}$ ) and subrelations in each set ( $i$ -subrelation,  $i=1,2,3$ ). It is assumed that there are three or four subrelations per relation. For sets  $S_i$  ( $i=1,2$ ) items will be sent at least twice, while for the last one  $S_3$  at least one.

A set of *definitions* have been developed in regards to the construction of and RBP:

- (1) the size of relation ( $s_{rel}$ ) is the number of items that belong to the relation, a subrelation is a part of a relation.
- (2) full BP (FBP): is the broadcast plan, BP, without any empty slot
- (3) regular BP (RBP): the FBP with equal spacing property
- (4) item multiplicity ( $it_{mu}$ ): the number of items repeated in a subrelation
- (5) different composition RBP: is an RBP that has the same number of channels when there is a swap between  $s_{sum_i}$  and  $ps_i$ . See example 4.
- (6) grouping length ( $gl$ ) it is a divisor  $S_{ks}$  ( $1, \dots, k$ )
- (7) partition value ( $pv$ ): is the value with:  $pv_i | S_{is}$  and  $pv_i | gl$ .
- (8) number of channels ( $nc$ ):  $S_k / gl$  (where  $S_k$  is the last set)

A set of *criteria* have also been developed:

- (a) The criterion of homogenous grouping ( $chg$ ): when  $pv_i | gl$ .
- (b) The criterion of multiplicity constraint ( $cmc$ ) or differential multiplicity: This happens if:  $it_{mu_{i+1}} < it_{mu_i}$  ( $i=1, \dots, n-1$ ).
- (c) The criterion of PV ( $cpv$  or  $pvi$ ): when:  $pv_i < pv_j$  (for  $i < j$ ).

The  $chg$  along with  $cpv$  can guarantee the  $cmc$  for different multiplicity (Theorem 1) and because of that the  $cmc$  is not necessary to be examined.

More details are in (5).

*Example 1:* If  $S_{3s} = 80$ ,  $gl = 40$ , considering that  $s_{sum_3} = 8$  then  $pv_3 = 10$  ( $= 80/8$ ). Hence  $pv_3 | S_{3s}$  and  $pv_3 | gl$ .

These definitions and criteria are used in the Tabu process for discovering RBPs.

### BRA, PVA Algorithms

The BRA is based on the conditions to find an RBP and basically works with three sets. It tries to find item multiplicity for the sets, and makes groups of relations using single or multiple channels. It starts with the discovery of an RBP with the smallest number of channels. Grouping methods for the composition of integrated relations with the case of the perfect or approximate matching are also examined. More details are in [5].

The PVA is used for discovering an RBP with a minimum number of channels. It can also be used for discovering RBP for all the available channels. It does not apply any idea of grouping method as in BRA since it is based on the

search of the set of divisors of  $S_4$  and the applicability of the criteria for any solution. It provides a dynamic grouping solution under a multiplicity constraint. More analytically, the PVA discovers the  $s_{\text{sum}i}$ , the  $pvi$  and test the applicability of the criteria for each divisor ( $d_4$ ) of set  $S_4$ . Details are included in [5].

## ANALYTICAL RESULTS

The previous analysis for RBP was based on a certain size of various sets given also the  $gl$ . A basic theorem dealing with the criteria ( $cmc$ , and  $pvi$ ) was developed. These theorems are fundamentals for the characteristics of an RBP. To this end, they are referred in this work.

*Theorem 1* : Let us consider the case of multiple channel allocation with different multiplicity of sets (such as:  $S_1, S_2, S_3$ ). Then, if  $pvi|d_4$ , the validity of multiplicity constraint ( $it_{\mu_{i+1}} < it_{\mu_i}$  ( $i=1, \dots, k-1$ )) can be achieved from the  $pv$  criterion ( $pv_i < pv_{i+1}$ ,  $i < k$ ,  $k = \#sets$ ). Similarly the  $pv$  criterion can guarantee the multiplicity constraint criterion.

*Proof*: Lets prove that if  $pv_i < pv_{i+1}$  (1) then  $it_{\mu_i} > it_{\mu_{i+1}}$ . (2). From (1)  $\Rightarrow 1/pv_i > 1/pv_{i+1} \Rightarrow d_4/pv_i > d_4/pv_{i+1}$ . If  $(d_4/pv_i) \in I$ ,  $\Rightarrow it_{\mu_i} > it_{\mu_{i+1}}$ . Following the reverse order we can get from (2) to (1). So it is not necessary to examine the multiplicity criterion and the  $pv$  criterion can provide the multiplicity.

*Example 2*: Four sets are considered:  $S_1, S_2, S_3, S_4$  with  $S_{1s}=10, S_{2s}=20, S_{3s}=40, S_{4s}=120$ . If  $gl=20$  (20 is a divisor of 120) then  $S_{1s}/gl, S_{2s}/gl, gl/S_{3s}$ . The  $chg$  exists. The number of channels is:  $nc=120/20=6$ . Considering  $s_{\text{sum}1}=5, s_{\text{sum}2}=5, s_{\text{sum}3}=8$  then  $pv1=10/5=2, pv2=20/5=4, pv3=40/8=5$ . We have  $pv1 < pv2 < pv3$  ( $pv$  criterion) and since  $pv1|20, pv2|20, pv3|20$  (or  $d_4 | pv_i \in I$ ) then the  $chg$  is valid and an RBP can be constructed. From this process it is evident that it is not necessary to test the  $cmc$ .

After this short introduction and for framework construction purposes new analytical results are needed.

*Theorem 2*: The grouping length ( $gl$  or  $d_4$ ) comes from:  $d_4 = k * \max(PAV_i)$ . Where  $k \in I$  and plays a role to the capacity and the number of channels.

If  $k=1$  then the  $S_4$  (the last or cold set) does not repeated in the broadcasting cycle. (low capacity channel) and larger number of channels are needed to send all the  $S_4$  data. Increasing the  $k$  then less number of channel with more capacity is needed.

*Example 3*: From Example 2, the  $\max(pvi) = 5$ . If  $k=1$ , considering that a unit is served for each relation (or  $s_{\text{sum}}$ ), it will need  $n_{\text{ch}}=120/5=24$  channels (low capacity channel). But if  $gl=20$  (20 is a divisor of 120) then  $n_{\text{ch}}=120/20=6$  (fast channels)

*Theorem 3*: The size of data for a RBP, can be multiple of the size data of  $S_1$ . It is considered that  $S_4$  has unit service.

*Proof*: the data with sizes:  $S_{1s}, S_{2s}=k S_{1s}, S_{3s}=m S_{1s}$  provide the needed structure for RBP directly. Assuming  $s_{\text{sum}1}=S_{1s}, s_{\text{sum}2}=S_{1s}$  and  $S_{3s}=S_{1s}$ , the  $PAV1=1, PAV2=k, PAV3=m$ . If  $k/d_4$  and  $m/d_4$  and  $k < m$ , the criteria will be valid and an RBP exists.

Theorem 3 is the necessary condition in order to have RBP.

*Theorem 4*: (for equal size of subrelations) The size of data can have some equal factors after their factorization. This property can provide an RBP if the non common factors are multiple. (for the same size of subrelations).

*Proof*: let's consider the size of the data:  $S_{1s}(=non1*com1), S_{2s}(non2*com2), S_{3s}(non3*com3), S_{4s}$ . If  $com1=com2=com3$  then the  $s_{\text{sum}1}=s_{\text{sum}2}=s_{\text{sum}3}=com1$ . Moreover if  $non2|non1, non3|non2$  then an RBP is visible since the two criteria are valid.

*Example 4*: Let's  $S_{1s}=10, S_{2s}=30, S_{3s}=60, S_{4s}=120$ . The factorization gives:  $S_{1s}=2*5, S_{2s}=3*2*5, S_{3s}=3*2*2*5$ . The common factor is  $2*5$  ( $=s_{\text{sum}i}$ ) and the non common factors are: 1, 3, 6. These are divisible numbers. Hence an RBP exists with  $PAV1=1, PAV2=3, PAV3=6$ . For the  $d_4$  if  $k=1$  then  $d_4=6$  (low capacity channel).

*Theorem 5*: (for non equal subrelations) After the factorization an RBP is feasible when the PAV criterion is valid and a choice for  $gf$  (or  $d_4$ ) can be made.

*Example 5*: When subrelations of different size are used. Let's:  $S_{1s}=5, S_{2s}=6, S_{3s}=6$ , and  $PAV1=2, PAV2=5, PAV3=10$ . For  $d_4$  if  $k=1$  then  $d_4=10$ . (low capacity). In addition, the size of the data sets is not necessary to be multiple of each other and they can use different subrelations.

*Example 6*: Let's  $S_{1s}=20, S_{2s}=35, S_{3s}=48, S_{4s}=120$ . The factorization gives:  $S_{1s}=4*5, S_{2s}=5*7, S_{3s}=6*8$  and  $PAV1=4, PAV2=5, PAV3=6$ . The subrelations are:  $s_{\text{sub}1}=5, s_{\text{sub}2}=7, s_{\text{sub}3}=8$ . If  $k=1$  then  $d_4=6$  and  $n_{\text{ch}}=120/6=20$ . (low capacity channels). If  $k=20$  then  $n_{\text{ch}}=120/20=6$  (fast channels).

Theorem 5 provides a new criterion for searching with CS. This means that for the case of different subrelations after the factorization it needs: (a) the non common factors has to follow the pavi criterion ( $p_{avi} < p_{avj}$ , for  $i < j$ ), (b) the value of  $gf$  can be discovered so that  $gf \mid S_4s$ , and  $p_{avi} \mid gf$  or  $\max(p_{avi}) = gf$  (c) the value of  $k$  depends on the available channels. This new criterion is called as *compound criterion* and it is used from CS.

## CS

The CS can be directly applied to virtually any kind of optimization problem. We can state most of these problems in the following form, where “optimize” means to minimize or maximize:: Here is how to optimize (minimize the number of channels) for the construction of the RBPs:

optimize  $f(x) = (f_1(x), f_2(x), \dots, f_n(x))$

subject to  $x \in X$

where  $X$  represents the feasible space, that is the set of all valid solutions, the solutions that fulfill every constraint of the problem.

The CS is a higher-level metaheuristic procedure for solving optimization problems, designed to guide the search operator in avoiding the traps of local optimality. Cuckoo birds attract attention because of their unique aggressive reproduction strategy. Cuckoos engage brood parasitism. It is a type of parasitism in which a bird (brood parasite) lays and abandons its eggs in the nest of another species [6]. Cuckoo Search algorithm is population based stochastic global search metaheuristics. It is based on the general random walk system which will be briefly described in this chapter. In Cuckoo Search algorithm, potential solutions corresponds to Cuckoo eggs. One approach is to simplify novel Cuckoo Search algorithm through three below presented approximation rules: (1) Cuckoos chose random location (nest) for laying their eggs. Artificial cuckoo can lay only one egg at the time. (2) Elitist selection process is applied, so only the eggs with highest quality are passed to the next generation (3) Host nests number is not adjustable. Host bird discovers cuckoo egg with probability  $pd \in [0,1]$ . If cuckoo egg is disclosed by the host, it may be thrown away, or the host may abandon its own nest and commit it to the cuckoo intruder.

A simple representation where one egg in a nest represents a solution and a cuckoo egg represents a new solution is used here. The aim is to use the new and potentially better solutions (cuckoos) to replace worse solutions that are in the nests. The random walk is called Lévy flight and it describes foraging patterns in natural systems,

Only two parameters are needed by the algorithm, the discovery rate  $pd \in [0,1]$  and the size of population  $n$ . When  $n$  is fixed,  $pd$  controls the elitism and the balance of randomization and local search. Most notably, an increase in the local search is needed and this is referred in the CSRP

## CUCHOO SEARCH FOR REGULAR PLAN (CSRP)

The theorems apply to CSRP for discovering RBPs. It starts with randomly generated initial population. Each individual is evaluated by the fitness function. The fitness function finds the divisors of the  $S_{is}$  (except for the last set size) and test the applicability of the pvi and cmc criterion. Individuals are eliminated when they do not follow the fitness function. The next generations are created with the application of the GA operators. The step size for the Levy flight is set to the upperbound  $i/100$ . Where of upperbound  $i$  is the size of each of the set queues. The size of population  $n$ , is the sum of number of available messages in the service queues.

```

CSRP : input : initial population of n host nests (the size of data in the service queues).
output : discover an RBP
Generate initial population of n host nests xi
while {(t<MaxGenerations) and (!
    termin.condit.)
    get a cuckoo randomly via Lévy flights
    //in order to find the next sizes of the sets
    evaluate its fitness  $F_i$  //if the numbers follows
        the compound criterion
    randomly choose nest among n available
        nests (for example j)
    if( $F_i > F_j$ ) {replace j by the new
        solution;}
    fraction pd of worse nests are abandoned
        and new nests are being built;
    //search around pd (n*pd) for best nests (A)
    // and replace if a better solution exists(A)
    for the rest of n keep the best solutions or
        nests with quality solutions;
    rank the solutions and find the current best
} //end while
//Post process and visualize results

```

In the CSRP pseudocode, two lines (A) are added to provide local search for best nests in the area around the pd.

## SIMULATION

Our simulation is concentrated on the effectiveness of CSRP and BRA for the discovery of RBPs. The items are separated into at most five categories according to their popularity using Zipf distribution. The scenarios are the following:

*Scenario 1: CSRP for various sets.* Let's consider 3 groups of sets with their corresponding queue sizes (SQ<sub>i</sub>). Group 1: SQ<sub>3</sub>= 150, SQ<sub>2</sub>=85, SQ<sub>1</sub> = 40, Group 2: SQ<sub>4</sub>=350, SQ<sub>3</sub>=80, SQ<sub>2</sub>=62, SQ<sub>1</sub>= 25, and Group 3: SQ<sub>5</sub>=330, SQ<sub>4</sub>=280, SQ<sub>3</sub>=260, SQ<sub>2</sub>=140, SQ<sub>1</sub>= 70. Group 4: SQ<sub>5</sub>=350, SQ<sub>4</sub>=300, SQ<sub>3</sub>=250, SQ<sub>2</sub>=130, SQ<sub>1</sub>= 80. The CSRP finds the RBPs in shorter time for the Group 1 then Group 2 and finally for Group 3. This happens because there is an increasing amount of services for the various groups. Group 3 and Group 4 have approximately the same values (Figure 1).

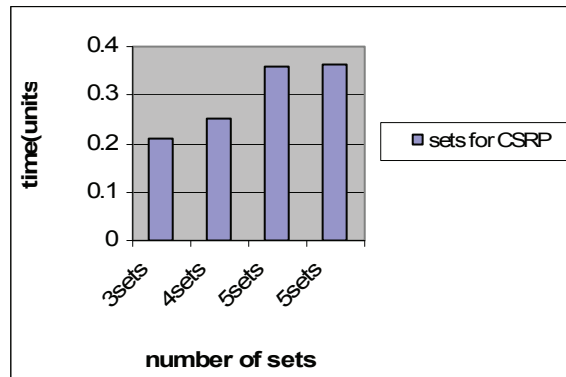
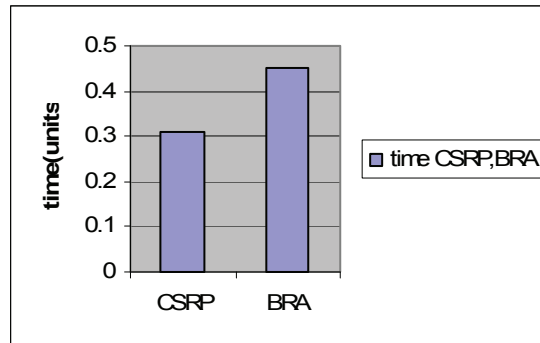


FIGURE 1. CSRP for various RBPs

*Scenario 2: CSRP vs BRA.* Let us consider a group of services with 5 sets and the CSRP running against BRA. The CSRP outperforms BRA. BRA has random non local search. CSRP discovers the RBP earlier since it works also with the Levy flights in the next generations and the additional ability for local search (Figure 2).



**FIGURE 2.** CSRP vs BRA

## CONCLUSION

A framework that can discover RBP for mobile users using the CS algorithm has been developed. Theorems can discover the sizes of the data sets considering equal and non equal subrelations. The CSRP can discover the sizes of the datasets using the compound criterion and provide an integrated solution to the regular broadcast schedule program minimizing also the client expected delay. It is very effective and flexible for solving hard constraint satisfaction problems and more generally constrained combinatorial search problems. It can provide a new dimension in the design of RBP. Future work could include the use of other optimization methods for the RP problem. The next generation servers, by applying the CSRP, will enhance their ability to self-sufficiency, self-monitoring, and they may address quality of service with minimal human intervention.

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