Discharge sensitivity to snowmelt parameterization: a case study for Upper Beas basin in Himachal Pradesh, India

Trine J. Hegdahl, Lena M. Tallaksen, Kolbjørn Engeland, John F. Burkhart and Chong-Yu Xu

ABSTRACT

Snow- and glacier melt are important contributors to river discharge in high-elevated areas of the Himalayan region. Thus, it is important that the key processes controlling snow and glacier accumulation and melting, are well represented in hydrological models. In this study, the sensitivity of modelled discharge to different snowmelt parameterizations was evaluated. A distributed hydrological model that operated on a 1 × 1 km² grid at a daily time resolution was applied to a high-elevated mountainous basin, the Upper Beas basin in Indian Himalaya, including several sub-basins with a varying degree of glacier covered areas. The snowmelt was calculated using (i) a temperature-index method, (ii) an enhanced temperature-index method including a shortwave radiation term, and (iii) an energy balance method. All model configurations showed similar performance at daily, seasonal, and annual timescales and a lower performance for the validation period than for the calibration period; a main reason being the failure to capture the observed negative trend in annual discharge in the validation period. The results suggest that model performance is more sensitive to the precipitation input, i.e. interpolation method than to the choice of snowmelt routine. The paper highlights the challenges related to the lack of high quality data sets in mountainous regions, which are those areas globally with most water resources.

Key words | discharge/runoff, glacier, Himalaya, hydrological modelling, snowmelt parameterization

INTRODUCTION

The large Himalayan rivers, Indus, Ganges, Brahmaputra, Yangtze and Yellow river, are the main water supply for some of the most densely populated areas of the world. The glacier- and snowmelt contribution to discharge in these regions is important and influences the availability of water for domestic, agricultural and industrial use, as well as for hydropower production (Winiger et al. 2005). The contribution of glacier- and snowmelt to annual discharge varies widely throughout the Himalayas. For the smaller Upper Indus basins, studies report that snowmelt contributes up to 60% of annual discharge (Jeelani et al. 2012; Li et al. 2014), whereas other studies indicate glacier contribution alone in the order of 30% (e.g. Bookhagen & Burbank 2010). Due to the importance of glacier- and snowmelt in discharge generation, the Intergovernmental Panel on Climate Change fourth assessment report (IPCC 2007) expressed great concern for the water availability in the Himalayan region, based on the climate change and glacier retreat prognosis. The report erroneously referred that most of the Himalayan glaciers could disappear by 2035 under current climatic conditions (Cruz et al. 2007). The prediction was later strongly modified suggesting a much longer time horizon for the Himalayan glaciers (IPCC 2014). However, it created a focus on the region in which there is limited...
knowledge and available data. Overall, the glaciers of Himalaya are retreating though some glaciers show a different behavior of mass gain, referred to as the Karakoram anomaly (Hewitt 2005; Bhambri et al. 2011; Bolch et al. 2012; Kääb et al. 2012).

Hydrological models are simplifications of the physical processes that take place in the natural environment. Different methods for snowmelt calculations exist and the choice of model complexity is determined by the objective of the study, the available data and the nature of the environment to which the model is applied (Haan study, the available data and the nature of the environment of model complexity is determined by the objective of the study, the available data and the nature of the environment to which the model is applied (Haan et al. 1982). The temperature-index method uses temperature as the sole parameter controlling snow melt, and it is widely used due to its simplicity and good performance (WMO 1986; Hock 2003). The latter is because a close correlation between temperature and shortwave radiation exists in most regions. Sicart et al. (2008) showed, however, that for a high altitude and low latitude glacier in Bolivia, the energy budget was controlled by the net shortwave radiation and had low correlation with temperature. This indicates that in some regions, glacier- and snowmelt cannot accurately be described by temperature alone, and improved glacier- and snowmelt modelling can be achieved by taking into account the shortwave radiation. A combined temperature-radiation-index method is suggested by Pellicciotti et al. (2012) for modelling snowmelt in the Hunza River basin in Karakoram Himalaya. The challenge using the temperature-radiation-index or a complete energy balance method is the extended need for input data. Both methods need shortwave radiation; in addition, the energy balance method needs longwave radiation, wind, and humidity data. These climate observations are not readily available, specifically not for the remote areas of the Himalayas. An alternative is the use of global data sets or remotely sensed data from which certain input data may be derived.

In this study, a gridded hydrological model is set up for a high mountainous basin in the Indian Himalayas, the Upper Beas basin. The aim of this study is two-fold: (i) to evaluate the sensitivity of simulated discharge to increased complexity in the snowmelt routine; and (ii) to assess the water balance components contribution to seasonal and annual water balance. The model applies local as well as global data sets, and three different snowmelt routines are evaluated.

**STUDY AREA AND DATA**

The Upper Beas basin is situated in Northwest India in the state of Himachal Pradesh, in Western Himalaya, Figure 1. This part of Himalaya is subject to two distinct weather systems determining the hydrological regime of the region (Xu et al. 2008; Bookhagen & Burbank 2010; Shekhar et al. 2010). The area receives winter precipitation from the west by extratropical cyclones, referred to as the Western Disturbance, and summer precipitation entering the Indian continent from the Bay of Bengal, the summer Monsoon. The basin is delineated from the Thalout discharge station in the Beas River, which is a tributary to the Indus River. The total basin area is 4,960 km², with glaciers covering about 12.6%, and an elevation range from 977 to 6,545 meters above sea level (masl). The Upper Beas basin is further defined by four sub-basins, Tirthan, Sainj, Parvati and Manali (where Parvati and Manali are sub-basins of Bhuntar; Figure 1). All basins, except Manali, have observed discharge. For Manali the discharge was calculated by subtracting the discharge at Parvati from the observations at Bhuntar.

The glacier coverage varies among the sub-basins, from 1.5% in Tirthan to 28.3% in Parvati. Table 1 provides some key characteristics of the five sub-basins. Input data consist of daily observations of precipitation, temperature, and humidity from a network of six climate stations Figure 1. The stations are located at elevations ranging from 904 masl at Pandoh Dam, to 1,971 masl at Manali. Pandoh Dam is the only station measuring potential evaporation, whereas Banjar and Sainj only measure precipitation. In Table 2 the annual mean of the observed variables (station values) in the Upper Beas basin is presented for the calibration and validation period separately. Gridded daily wind and shortwave incoming radiation were obtained from the WATCH Forcing Data (WFD) set, a biased corrected version of the ERA-40 reanalysis data set with a spatial resolution of 0.5° (Weedon et al. 2011). In WFD no bias correction is applied to wind, whereas the shortwave incoming radiation is corrected with respect to the average cloud cover and effects of changing atmospheric aerosol loading given in the CRU TS2.1 data set (New et al. 1999, 2000; Mitchell & Jones 2005).
Figure 1 | Topographic map of the Upper Beas basin. Glacier covered area in white. Five discharge stations and six meteorological stations are marked. Location on the Indian sub-continent marked as star on the inset map.

Table 1 | Key basin characteristics for Upper Beas basin and sub-basins (Manali and Parvati are sub-basins of Bhuntar)

<table>
<thead>
<tr>
<th></th>
<th>Upper Beas</th>
<th>Manali</th>
<th>Parvati</th>
<th>Bhuntar</th>
<th>Sainj</th>
<th>Tirthan</th>
</tr>
</thead>
<tbody>
<tr>
<td>Area (km²)</td>
<td>4,960</td>
<td>1,469</td>
<td>1,740</td>
<td>3,209</td>
<td>745</td>
<td>678</td>
</tr>
<tr>
<td>Glaciated area (%)</td>
<td>12.6</td>
<td>3.3</td>
<td>28.3</td>
<td>16.9</td>
<td>9.0</td>
<td>1.5</td>
</tr>
<tr>
<td>Mean elevation (m)</td>
<td>3,450</td>
<td>3,136</td>
<td>4,148</td>
<td>3,685</td>
<td>3,535</td>
<td>2,830</td>
</tr>
<tr>
<td>Elevation range (m)</td>
<td>977–6,575</td>
<td>999–6,017</td>
<td>999–6,575</td>
<td>999–6,575</td>
<td>989–6,221</td>
<td>989–5,314</td>
</tr>
</tbody>
</table>
The topographic data for the model was built from a digital elevation model based on the Advanced Spaceborne Thermal Emission and Reflection Radiometer (ASTER) using the Global Digital Elevation Model version 2 (GDEM2). ASTER GDEM2 has an overall accuracy of about 17 m at a 95% confidence level (METI/NASA 2011). The original GDEM2 resolution of 30 m was resampled to a 1 km resolution. Glacier covered area (GCA) is derived from the glacier inventory of the Upper Beas basin (Berthier et al. 2011; Frey et al. 2015) downloaded from the Global Land and Ice Measurements from Space database (www.glims.org). Land use and land cover information for the basin have been prepared based on the Indian Remote Sensing (IRS) satellite IRS-P6 data (NRSC/ISRO 2008).

**METHODS**

**Modelling framework**

ENKI (https://bitbucket.org/enkiopensource/enki) is a modelling framework that allows the running of a customized hydrological precipitation-runoff model, built from a library of subroutines, for a region that is specified by geographical information system (GIS) data (grids and point networks) as described in Table 3. The model was run on daily time steps for a grid with a spatial resolution of $1 \times 1$ km$^2$. The model parameterizations were applied globally to each grid cell. Precipitation was interpolated using an inverse distance weighting routine with a fixed elevation gradient (PrecGrad, Table 4), and the temperature was interpolated using 3D kriging and a temperature lapse rate (PriTgrad, PriSDgrad, Table 4). Humidity and shortwave radiation were interpolated using an inverse distance weighting routine. The actual evapotranspiration was calculated by adjusting mean monthly values of potential evaporation (measured at Pandoh Dam) with respect to anomalies in temperature, wind, moist air during rainfall, vegetation height, and presence of snow-cover. The actual evapotranspiration increases with temperature and wind, and is reduced during rainfall events, for grid-cells with low vegetation, and for snow covered area. The snow accumulation and snowmelt routine was based on the snow depletion curve (SDC) model (Kolberg & Gottschalk 2009; Kolberg et al. 2006). The SDC is represented by a gamma distribution, specified by a coefficient of variation and a possible initial bare ground fraction. Daily snow covered area is calculated based on daily updated SDC throughout the melting season.

Snowmelt was calculated by three separate routines: (i) the complete energy balance method (GamSnow routine), (ii) the temperature index method (GamDDF routine) and (iii) the combined radiation and temperature index method (GamSRF routine). All parameter values are given in Table 4.

**GamSnow**

The GamSnow routine adopts an energy balance approach as described by Equation (1) (DeWalle & Rango 2008):

$$\Delta E = S \cdot (1 - \alpha) + L_{in} + L_{out} + H_{SE} + H_L + E_G$$  \hspace{1cm} (1)

where $\Delta E$ is the net energy flux at the surface available for snow melting, $S$ is incoming shortwave radiation, $L_{in}$ and $L_{out}$ are incoming and outgoing longwave radiation, respectively, $H_{SE}$ and $H_L$ are turbulent sensible and latent energy fluxes, and $E_G$ is the subsurface energy flux. All terms are given in W·m$^{-2}$.

**Table 2** | Mean annual observed precipitation, temperature, relative humidity and discharge (Thaoulot station) in the Upper Beas basin for the calibration period (1991–1996) and validation period (1997–2001)

<table>
<thead>
<tr>
<th>Variable period</th>
<th>Precipitation (mm/year)</th>
<th>Temperature (°C)</th>
<th>Relative humidity (%)</th>
<th>Discharge (m³/s)</th>
</tr>
</thead>
<tbody>
<tr>
<td>1991–1996</td>
<td>1,205</td>
<td>18.4</td>
<td>82.4</td>
<td>106</td>
</tr>
<tr>
<td>1997–2001</td>
<td>1,303</td>
<td>19.1</td>
<td>82.3</td>
<td>85</td>
</tr>
</tbody>
</table>

**Table 3** | Maps used in the model setup

<table>
<thead>
<tr>
<th>Map name</th>
<th>Description</th>
</tr>
</thead>
<tbody>
<tr>
<td>Elevation</td>
<td>Elevation map, local elevation (m) all grid cells ($1 \times 1$ km$^2$)</td>
</tr>
<tr>
<td>VegCov</td>
<td>Area with high vegetation cover</td>
</tr>
<tr>
<td>VegHegt</td>
<td>Defines vegetation height in areas of high vegetation</td>
</tr>
<tr>
<td>Catchments</td>
<td>Sub-basin delineation grid</td>
</tr>
<tr>
<td>Glacier</td>
<td>Fraction of grid cells covered by glacier</td>
</tr>
</tbody>
</table>
The snow albedo ($\alpha_t$) determines the amount of short-wave radiation reflected by the surface at day $t$, and was calculated for each time-step and grid cell. The snow albedo has a maximum and minimum value defined by the parameter $\alpha_{\text{max}}$ and $\alpha_{\text{min}}$. For air temperatures above 0 °C there is a fast exponential decay in snow albedo, Equation (2), whereas for temperature below 0 °C there is a slow linear decay in snow albedo, Equation (3):

$$\alpha_t = \alpha_{\text{min}} + (\alpha_{t-1} - \alpha_{\text{min}}) \times \left(1 - \frac{1}{21/\text{FastDecayRate}}\right) \quad T_a > 0 \degree C$$

$$\alpha_t = \alpha_{\min} + \frac{\alpha_{t-1} - \alpha_{\min}}{T_a + 273.15} \text{ (degrees Celsius)}$$

### Table 4

Parameters for the three models GamSnow, GamSRF and GamDDF. Calibration range and constant values (only lower limit assigned) are shown. Uniform distribution of parameter during calibration was used.

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Description and units</th>
<th>Lower limit</th>
<th>Upper limit</th>
<th>Optimized values</th>
</tr>
</thead>
<tbody>
<tr>
<td>PrecGrad</td>
<td>Precipitation gradient (mm/100 m)</td>
<td>0</td>
<td>3</td>
<td>0.025</td>
</tr>
<tr>
<td>MaxIntDist</td>
<td>Maximum distance to include stations (m)</td>
<td>500,000</td>
<td></td>
<td></td>
</tr>
<tr>
<td>MaxIntStat</td>
<td>Maximum stations to be included (-)</td>
<td>25</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Tnugget</td>
<td>Nugget in the semivariogram (unit2)</td>
<td>0.2</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Tsill</td>
<td>Sill (variance) in the semivariogram (unit2)</td>
<td>10</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Trange</td>
<td>Range in the semivariogram (map units)</td>
<td>80,000</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Tzscale</td>
<td>XY distance with the same semivar as one vertical unit</td>
<td>20</td>
<td></td>
<td></td>
</tr>
<tr>
<td>PrTgrad</td>
<td>Prior expectation of lapse rate (°C/100 m)</td>
<td>-0.8</td>
<td>-0.4</td>
<td>-0.64</td>
</tr>
<tr>
<td>PrSDTgrad</td>
<td>Prior standard deviation of laps rate (°C/100 m)</td>
<td>0.05</td>
<td></td>
<td></td>
</tr>
<tr>
<td>TX</td>
<td>Temperature threshold rain/snow (°C)</td>
<td>-3</td>
<td>3</td>
<td>1.4</td>
</tr>
<tr>
<td>PcorrRain</td>
<td>Correction factor for rain (-)</td>
<td>1</td>
<td>2</td>
<td>1.1</td>
</tr>
<tr>
<td>PcorrSnow</td>
<td>Correction factor for snow (-)</td>
<td>1</td>
<td>2</td>
<td>1.6</td>
</tr>
<tr>
<td>Tlow</td>
<td>Threshold temperature for start canopy development (°C)</td>
<td>10</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Ehgt</td>
<td>Dependency of potential evapotranspiration on vegetation height</td>
<td>0.1</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Etmp</td>
<td>Temperature dependency on potential evapotranspiration</td>
<td>0.1</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Dvethgt</td>
<td>Default vegetation height</td>
<td>1</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Tsum</td>
<td>Sum degree-days for complete canopy</td>
<td>300</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Esnw</td>
<td>Relative magnitude of potential evaporation from snow compared to that from water</td>
<td>0.1</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Ewend</td>
<td>Dependency of potential evaporation on windspeed</td>
<td>0.1</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Eprc</td>
<td>Relative potential evapotranspiration during precipitation events compared to that in dry periods</td>
<td>0.1</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Epcorr</td>
<td>Correction factor for potential evapotranspiration</td>
<td>0.5</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Laicap</td>
<td>Storage capacity in LAI (leaf area index) mm/m²</td>
<td>0.2</td>
<td></td>
<td></td>
</tr>
<tr>
<td>BETA</td>
<td>Non-linearity of the soil-water retention rate</td>
<td>1</td>
<td>3</td>
<td>2</td>
</tr>
<tr>
<td>LP</td>
<td>Transpiration is reduced if soil-moisture &lt;LP*fieldcap</td>
<td>0.9</td>
<td></td>
<td></td>
</tr>
<tr>
<td>infcap</td>
<td>Infiltration capacity (mm/day)</td>
<td>100</td>
<td>65</td>
<td></td>
</tr>
<tr>
<td>fieldcap</td>
<td>Field capacity in forested areas</td>
<td>50</td>
<td>350</td>
<td>220</td>
</tr>
<tr>
<td>k2</td>
<td>Outlet coefficient. Quick outflow upper tank</td>
<td>0.17</td>
<td>0.4</td>
<td>0.3</td>
</tr>
<tr>
<td>k1</td>
<td>Outlet coefficient. Slow outflow upper tank</td>
<td>0.04</td>
<td>0.12</td>
<td>0.08</td>
</tr>
<tr>
<td>k0</td>
<td>Outlet coefficient. Outflow lower tank</td>
<td>0.006</td>
<td>0.03</td>
<td>0.02</td>
</tr>
<tr>
<td>Perc</td>
<td>Percolation rate from upper to lower tank</td>
<td>1.5</td>
<td>3.5</td>
<td>2.2</td>
</tr>
<tr>
<td>Rthreshold</td>
<td>Threshold height for fast outflow in upper tank</td>
<td>20</td>
<td>50</td>
<td>35</td>
</tr>
</tbody>
</table>

Equation (2), whereas for temperature below 0 °C there is a slow linear decay in snow albedo, Equation (3):
\[ a_t = a_{t-1} - \frac{(a_{\text{max}} - a_{\text{min}})}{2 \times \text{SlowDecayRate}} \quad T_a \leq 0 \, ^\circ \text{C} \quad (3) \]

The parameters \textit{FastDecayRate} (days) and \textit{SlowDecayRate} (days) can be interpreted as the time it takes for the albedo to decrease 95\% of the value defined by the difference between the maximum and minimum albedo. After snowfall larger than a predefined depth (\textit{ResetSnowDepth}), the albedo is reset to maximum albedo (\textit{MaxAlbedo}). Glacier albedo is set to a constant.

Incoming and outgoing longwave radiations, \( L_{in} \) and \( L_{out} \), are calculated following the Stephan-Boltzmann law. \( L_{in} \) is based on air temperature \( T_a \), whereas snow surface temperature \( T_{ss} \), calculated as \( T_{ss} = 1.16 \times T_a - 2.09 \), with 0 °C as maximum value, is used to estimate the outgoing longwave radiation. The latent and sensible heat fluxes, \( H_L \) and \( H_{SE} \), are calculated using a bulk-transfer approach that depends on wind speed, temperature and air humidity. The two parameters defining the wind profile, intercept (\textit{windconstant}) and slope (\textit{windscale}), are determined by calibration. \( H_L \) and \( H_{SE} \) are assumed always positive, and set to zero for temperatures below 0 °C. The subsurface flux \( E_G \) is calculated assuming a linear temperature profile in the snow surface layer, where temperature at the bottom of the layer is set to 0 °C. Snowmelt in mm is derived by multiplying the available energy \( \Delta E \) with the latent heat of fusion for water.

\textbf{GamDDF and GamSRF}

Snowmelt \( M \) (mm-day\(^{-1}\)) is in the GamDDF routine calculated according to Equation (4), and in GamSRF according to Equation (5) (Hock 2003; Pellicciotti et al. 2005).

\[ M = \begin{cases} \text{DDF} \cdot (T_a - T_0) & T_a > T_0 \\ 0 & T_a \leq T_0 \end{cases} \quad (4) \]

\[ M = \begin{cases} \text{DDF} \cdot (T_a - T_0) + \text{SRF} \cdot S \cdot (1 - \alpha) & T_a > T_0 \\ 0 & T_a \leq T_0 \end{cases} \quad (5) \]

where \text{DDF} (mm-day\(^{-1}\)·C\(^{-1}\)) is a degree day factor, \( T_a \) (C) is the air temperature, \( T_0 \) (C) is a critical melt temperature, \( \text{SRF} \) (mm-day\(^{-1}\)·rad\(^{-1}\)) is the shortwave radiation factor and \( \alpha \) is the albedo. The GamSRF method uses the albedo as defined by Equations (2) and (3).

Glacier melt occurs when glaciers are exposed due to a reduction in snow cover, i.e. when the snow covered area is less than the GCA within a grid-cell. The glacier melt routine has unique parameters for \( \alpha \), \text{DDF} and \text{SRF}, all determined by calibration.

The soil moisture and response routines adopted are schematically similar to the HBV model (Bergstrom 1976). An overview of all parameters included their calibration range and optimized values (for those that were calibrated), are given in Table 4. Simulated discharge is calculated by accumulating runoff from all grid cells within a basin for each time step, without any delay. In the following, the different versions of the model are named by the snowmelt routine used, i.e. GamSnow, GamSRF and GamDDF models.

\textbf{Model calibration and evaluation}

To separately assess the effect of the snowmelt routine on the simulated discharge, a two-step calibration procedure was performed. First, the parameters listed in Table 4 and those related to the GamSnow routine (Table 5) were calibrated. Subsequently, the calibrated parameter values related to the soil and response routines were held constant (optimized values specified in Table 4), whereas parameters related to snowmelt calculations (GamDDF and GamSRF) models were calibrated (Table 5). Four observed discharge series were included in the calibration of the Upper Beas basin: Thalout, representing the whole Upper Beas basin, and the sub-basins Tirthan, Sainj and Bhuntar.

The global optimization algorithm Shuffled Complex Evolution-University of Arizona (Duan et al. 1993) was used for the automatic calibration. The Nash-Sutcliffe efficiency (NSE, Equation (6)) (Nash \& Sutcliffe 1970), was chosen as the objective function. The percent bias (Pbias, Equation (7)) was used to assess volume deviation in simulated discharge (Gupta et al. 1999). The correlation coefficient (Pearson’s \( r \), Equation (8)) is used to assess the linear dependency between the observed and simulated discharge (Moriai et al. 2007). Both Pbias and Pearson’s \( r \) are
used as analyzing tools only, and not in the optimization of the models.

\[
NSE = 1 - \frac{\sum_{i=1}^{n} |S_i - O_i|^2}{\sum_{i=1}^{n} |O_i - \bar{O}|^2} \quad [-\infty, 1]
\]  

\[
Pbias = \frac{\sum_{i=1}^{n} (S_i - O_i)}{\sum_{i=1}^{n} O_i} \cdot 100 \quad [-\infty, \infty]
\]  

\[
r = \frac{1}{N} \frac{\sum_{i=1}^{n} (O_i - \bar{O}) \cdot (S_i - \bar{O})}{\sqrt{\sum_{i=1}^{n} O_i^2 - (\sum_{i=1}^{n} O_i)^2} \cdot \sqrt{\sum_{i=1}^{n} S_i^2 - (\sum_{i=1}^{n} S_i)^2}} \quad [-1, 1]
\]

where \(S_i\) is simulated discharge, \(O_i\) is observed discharge, \(i\) is year, \(\bar{O}\) is the mean of observations and \(N\) is total number of observations.

### Water balance estimation

The following water balance component, basin averages of precipitation, discharge and evapotranspiration were calculated for both annual and a monthly time resolution. The annual change in storage was calculated according to Equation (9) (Dingman 2008):

\[
\frac{\Delta S}{\Delta t} = P - (Q + ET)
\]  

where \(P\) is precipitation, \(Q\) is discharge, \(ET\) is evapotranspiration, and \(\Delta S/\Delta t\) is change in storage per time unit. The storage term is here defined as changes in snow and glacier storage only. The Upper Beas has a hydrological regime strongly influenced by snow and glacier melt and limited groundwater storage due to its steep narrow valley in young sedimentary rocks with limited glacial and periglacial deposits (Kahn et al. 2012). A positive storage change represents snow accumulation whereas a negative change represents snow and glacier ablation. Annual values are presented as basin average (mm·year\(^{-1}\)). Seasonality in the water balance components was evaluated for the years 1991–2001 and is presented as monthly mean values (mm·day\(^{-1}\)).

The three models were calibrated using observed daily discharge for the period 01.08.1991 to 31.07.1996 and validated from 01.08.1996 to 31.07.2001. A warm-up period was set from 01.01.1989 to 31.07.1991.
RESULTS

Model calibration and evaluation

The model performances in terms of NSE, Pbias and Pearson’s r are shown in Table 6 for the Upper Beas basin and the three sub-basins Tirthan, Sainj and Bhuntar. Discharge data for Bhuntar was used for the calibration, whereas its sub-basins Manali and Parvati were used in the more detailed analyses, resulting in a total of four sub-basins (Tirthan, Sainj, Parvati and Manali). Acceptable NSE values (~0.7) are found for the Upper Beas basin for the calibration period, whereas lower values are seen for the validation period (~0.55). Notably low NSE was obtained for Bhuntar and to some degree also for Sainj for the validation period, whereas Tirthan showed consistent values for both the calibration and validation period, and all sub-basins (~0.60–0.64). The volume deviation, Pbias, varies from negative values for Sainj (~15.7%) and the GamDDF model, to positive values (8.2%) for Upper Beas and the GamSRF model during the calibration period. Only positive values are seen for the validation period, ranging from 4.8 to 55%, where the highest deviation is found for Bhuntar for the GamSRF model. Pearson’s r is in the range 0.8–0.9 for all models and sub-basins, both for the calibration and the validation period.

Annual discharge

Figure 2 shows the annual observed and simulated discharge from 1991 to 2001 for all three models and sub-basins Tirthan, Sainj, Parvati and Manali. In Table 7 Pearson’s r based on simulated and observed annual discharge is presented. Both visual inspection of the plots and a significant Pearson’s r above 0.7, reveal that simulated annual discharge for all models are better represented in Tirthan than in the other basins. Sainj and Parvati both show underestimation of discharge volumes for the first part of the period followed by an overestimation towards the end of the period (Figure 2). This is reflected in low or negative Pearson’s r values. Simulated discharge in Manali is overestimated for most years. The models show a similar pattern in volume deviation for all sub-basins. The Mann-Kendall trend test (Mann 1945; Kendall 1975) revealed a strong negative trend in observed discharge for Sainj, Parvati and Manali (95% significance level).

The cumulative annual Pbias for the four sub-basins is shown in Figure 3. The plot shows that Tirthan and Manali have a positive bias over the period, whereas Sainj and Parvati have a negative bias until 1996, followed by a positive bias. GamSRF gives the highest deviation for all basins except for Tirthan, where GamSnow has the highest deviation. For Tirthan GamSRF and GamDDF have very similar values, whereas for Sainj, similar values are seen for GamSnow and GamSRF.

Annual water balance

Time series of annual water balance components using the GamSnow model are plotted in Figure 4 for the four sub-basins. Estimated evapotranspiration is a minor component. All sub-basins show a similar temporal variability
in annual precipitation pattern with, for example, 1996 being a particularly dry, and 1997 a particularly wet, year. A trend towards lower interpolated precipitation totals can be seen from 1998 for all sub-basins, and is also reflected in decreasing simulated discharge for Manali and Tirthan. Conversely, Parvati and Sainj do not show a similar decreasing trend in simulated discharge despite the precipitation decline. The observed data in Table 2 for the hydro-meteorological stations within the basin support the same general tendencies. The mean discharge is decreasing from the calibration to the validation period (~20%), not supported by precipitation and
temperature that shows an increase for the station values (~8% and ~4%, respectively).

Furthermore, Parvati shows a high positive change in estimated storage from 1994, which is a result of interpolated precipitation being larger than the sum of estimated evapotranspiration and simulated discharge for most years. In Tirthan, the simulated discharge volume is similar to the estimated basin precipitation and there is a negative change in storage, specifically in the second part of the period. As demonstrated by Figure 4 there is a marked difference in simulated water balance elements among the sub-basins, notably after 1998 when the highest elevated sub-basins, Sainj and Parvati, fail to capture the declining discharge. Figure 5 presents the cumulative change in storage (left) and precipitation (right), based on

the annual water balance calculations. The northern parts of Upper Beas, as represented by Manali and Parvati, show a positive storage change through the period analyzed, whereas the two southern basins, Sainj and Tirthan, both have a negative storage change. Cumulative precipitation shows that the highest precipitation was modelled for Manali, followed by Parvati, Sainj and Tirthan.

**Seasonal water balance**

Seasonal variation in the water balance components for the Upper Beas basin is shown in Figure 6, using the GamSnow model. Precipitation shows two distinct peaks, one in March caused by winter precipitation, and one in July/August during the summer Monsoon. Precipitation in March is stored as
snow, as also reflected by the low discharge. Snowmelt induced flow is predominantly in the pre-monsoon period of April, May and June, whereas high precipitation during the monsoon coincides with the months of the highest flow. Evaporation in the basin plays a minor role, 7.4% of precipitation for the Upper Beas basin, and is largest during the pre-monsoon month of May, where around 17% of precipitation is calculated to evaporation.

Estimated discharge and storage change for the four sub-basins (Figure 7), shows that Sainj and Parvati have an increase in pre-monsoon discharge from May to June, not present in Manali and Tirthan. GamSnow produces a large discharge for Sainj and Tirthan for the months April to August, whereas GamDDF gives the highest discharge for July and August for Manali and Parvati. In the spring months March–May, all models overestimate discharge for the sub-basins Tirthan, Sainj and Manali. The deviation is less for Parvati. In Manali, discharge is overestimated for all months and by all models, with a large deviation, especially from July to October compared to the other sub-basins.


DISCUSSION

Model performance

Overall, the performance criteria shows that all models are able to satisfactorily simulate daily discharge for the calibration period. The NSE values for the calibration period are similar to results obtained for the same data set in other studies using different hydrological models (Li et al. 2013, 2014). This indicates that the calibration result is limited by the quality of the hydro-metrological data and to a lesser degree by the choice of model. A reduced model performance for the validation period is reflected in the values for NSE and Pbias, and less in the correlation coefficient (daily values). The three models evaluated, representing different snowmelt routines, mainly deviate in their volume prediction, whereas there are smaller differences in the timing of flow events, reflected in relatively high Pbias and high correlation coefficient, respectively.

At the seasonal scale, the largest volume deviation in model prediction was found for July and August for all sub-basins, reflecting the high melt contribution during these months. For the highest elevated basins (Sainj and Parvati), the largest discharge in the monsoon period in Sainj was obtained by GamSnow, whereas GamDDF gave the highest and GamSnow the lowest simulated discharge in Parvati. This suggests a lack of consistency among models in simulating snowmelt discharge for the highest elevated basins during the monsoon months.

None of the models was able to predict the negative trend in annual discharge observed for Sainj, Parvati and Manali. The negative Pbias for annual values for these sub-basins could implicate error in the input data, other explanations are glacier dynamics or interpolation of precipitation. However, all models acceptably simulated Tirthan, which experienced no trend in discharge.

Annual water balance

Highest precipitation was estimated for the northern sub-basins Manali and Parvati, whereas lowest precipitation
was obtained in Tirthan, at the lowest altitude. The precipitation dependency with altitude is described by a power-law relationship in the interpolation routine. Negi (2002) suggests that a shadow effect occurs for the high mountains east in the Beas basin, where typically the valleys lying northeast of the basin, in Lahul and Spiti, are mountain desert areas with annual precipitation around 400 mm. It is likely that a reduction in precipitation would occur above some elevation. Overestimation of precipitation at the highest elevations will, due to all year round low temperature, be retained as snow storage, not affecting simulated discharge when temperature is stable. However, the overestimation of precipitation and the development of too large snow storage will potentially become a source of error in a warmer, future climate. In the high-elevated Parvati sub-basin, precipitation has been declining since 1998, as has observed discharge. A similar reduction is not seen in simulated discharge, which is assumed to be sustained.
by questionably large snow storage developed during the first years of simulation. A smaller fraction of precipitation is stored as snow in the model for Manali sub-basin. Due to its lower mean altitude the discharge is more directly connected to precipitation. Manali does however have the largest volume deviation between simulated and observed discharge. Precipitation and observed discharge in Manali would indicate a volume increase in the reservoirs of perennial snow and glacier growth. This implies that the volume deviation between observed and simulated discharge in Parvati and Manali could arise from erroneous precipitation interpolations. For Tirthan and Sainj, the simulated discharge is larger than can be sustained by precipitation alone. The basins have no snow storage from previous years, suggesting that excess water originates from glacier melt. This is supported by the negative storage change calculated for the two southern sub-basins for most years. Sainj show the same pattern as Parvati, as the simulated and observed discharge has different behavior in the later part of the period. Observed discharge follows the reduction in precipitation, whereas this is not the case for simulated discharge which is kept high for both sub-basins, probably by simulating melt at higher elevations.

Evaporation is an overall minor component in the annual water balance budget for all sub-basins. The highest evaporation is found in the valleys at lower altitude regions where annual mean temperatures are higher. Hence, Tirthan has the highest average evaporation (215 mm/year), followed by Manali (133 mm/year), Sainj (102 mm/year) and Parvati (44 mm/year).

The observed data show a decrease in discharge (Figure 4) whereas there is an increase in both precipitation and temperature (Table 2). This indicates a non-stationarity in precipitation and discharge. Li et al. (2015) highlight non-stationarity in the precipitation to discharge ratio analyzing the annual water balance for the 1997–2005 period for the Bhuntar sub-basin. Their results show that the linear relationship between precipitation and discharge during the early period (1997–2001) is different from the relationship during the later period (2002–2005). This could imply deficiencies in the data quality, but also it raises the question as to how the two dominant weather systems, the summer Monsoon and Western Disturbance, will affect the annual precipitation/discharge ratio. This could be an additional explanation to the deviation we see in the data for the different years.

The observed and measured reduction in GCA in the Beas basin during 1991–2001 (Kulkarni et al. 2005) is not accounted for in the model, which assumes a static GCA with an infinite volume of ice. The Parbati glacier is located within the Parvati sub-basin, and is one of the glaciers with the largest areal reduction in the Western Himalaya. The glacier snout has retreated to about 6,000 m in the period 1962–1990, with a somewhat slower retreat from 1992 to 2001 (Kulkarni et al. 2005, 2011). A reduction in the GCA and increased elevation of the snowline support an increase in discharge due to additional melt. If, however, the rate of reduction is slowing down or the retraction has passed a critical point, further retraction will reduce the melt volume (Jansson et al. 2003). Reduced glacier melt may explain the trend in observed discharge for the study period seen for the northern sub-basins Manali and Parvati, which cannot be explained by a reduction in precipitation and, further, has not been captured by the model.

**Seasonal water balance**

The pre-monsoon simulated discharge in March and April was overestimated by all models, indicating a too early start of model snowmelt compared to observed discharge (Figure 7). Precipitation in the pre-monsoon period is typically low, so discharge is mainly fed by snowmelt and hence, is dependent on simulating snowmelt satisfactory. Thus, an overestimation of pre-monsoon discharge suggests the presence of snow at low elevations or a too early start of the melt season in the model.

**Model uncertainty**

Important factors contributing to the uncertainty in our modelling study include: (i) spatial interpolation based on a sparse network of station date; (ii) downscaling coarse resolution WDF data in challenging terrain; and (iii) model structure and parameterization.

Generally, the quality of input data will have a large influence on model performance. Data used in this study is largely drawn from manual measurements and hence, is subject to human errors. Precipitation measurements
might under-estimate the real precipitation, and losses due to extreme precipitation or snow events under windy conditions are particularly difficult to account for (Wolff et al. 2015). The Upper Beas basin is characterized by large elevation differences and lack of observations in the highest elevated areas. The input temperature and precipitation is based on extrapolation of their respective lapse-rates. This implies that the interpolation of climate variables is highly uncertain in the region and depends on good observation networks, both in terms of spatial representation and quality of observations. However, the lack of observation sites at high altitude is considered the most critical factor in determining uncertainty in interpolated input data, precipitation in particular, as suggested by overestimation of precipitation for the highest elevations in this basin. In addition, the marked seasonality in hydroclimatology suggests that the model simulations could gain from seasonal specific parameters related to the interpolation of temperature and precipitation. Thayyen et al. (2005) found a non-linear temperature lapse-rate for a valley in the Din Gad basin in Central Himalaya. They demonstrated that the valley lapse-rate was smaller compared to the alpine lapse-rates at higher elevations during the monsoon months, and that the alpine zone showed, in addition, a higher annual variation than the lower valley zone. This could give additional information to the large inter-annual differences found in the precipitation to discharge ratio in this study and by Li et al. (2015). However, these findings are not necessarily representative for our study region as large regional variations can be expected since the wet and dry adiabatic lapse-rates depend on atmospheric moisture content and hence, on precipitation and temperature in the area (Aguado & Burt 2010).

The high snow accumulation simulated for Paravati is questionable when confronted with the areal retreat observed for glaciers in this sub-basin (Kulkarni et al. 2005, 2011). Rather, it may be a result of an excessive precipitation gradient in the model overestimating precipitation at high altitudes. Additional information from remotely sensed data of snow covered areas might help determining more realistic values. Alternative data sources like Tropical Rainfall Measuring Mission (Huffman et al. 2007) and WFD (Weedon et al. 2011) were considered. Previous studies (Li et al. 2012, 2013) have used these data to force hydrological models, the general conclusion is that the model performance is still not comparably good to that of using observed data. Different downscaling methods for regional climate models (RCM) for climate projections studies was tested on the Beas basin by Li et al. (2016). The bias correction significantly reduced the difference from RCM to in situ observations, and similar methods should be investigated for the downscaling of global data sets. The use of wind and radiation from WFD for energy balance modelling in this region with a complex topography is challenging, and local topography was not accounted for when interpolating these inputs. Validation of downscaled wind and radiation by surface observations is not possible, since local data is missing.

The Beas River with tributaries is prone to large annual variations and extensive flooding, and both low and high flows can be inaccurate. There is an extensive sediment transport in the rivers (Jain et al. 2007), implying unstable river-profiles, and by this it is assumed difficult to establish stable rating curves.

In GamSnow a simplified algorithm for the calculation of snow surface temperature assumes turbulent fluxes always to be positive, an empirical relationship fitted for Norwegian conditions. Energy balance modelling at the Chhota Shigri glacier just north of the Beas basin (Pithan et al. 2011), found a strong negative latent heat contribution in the pre-monsoon period as also supported by findings for a low latitude glacier in Bolivia (Sicart et al. 2008). Hence, these results are in conflict with the snow surface temperature calculations adopted in our model setup. Wind is highly variable and dependent on local roughness in addition to the overall topography. This will influence the calculations of turbulent fluxes, and hence the surface temperature. Shortwave radiation will also be influenced by the topographic parameters, slope and aspect, which modifies the exchange surface for radiation, in addition to steep terrain leading to shading (DeWalle & Rango 2008). These effects were ignored in the interpolation of climate input data and may result in reduced model performance for GamSnow and GamSRF model. The importance for this model setup is however questionable, since all three models experience problems with the water balance, independently of the method used for snowmelt calculations.
Glacier dynamics are not implemented in the models, and the static GCAs are hence an infinite water source. For the southern, low altitude, sub-basins Sainj and Tirthan glacier melt contributed to simulated discharge in most years, indicated by a consistent negative change in storage. The glacier melt contribution was, especially for Tirthan, high relative to the comparable small GCA. This underlines the problem with a relatively coarse resolution in steep terrain. In case only a small part of the grid cell is glaciated, its temperature, which is derived based on the mean altitude for the grid, may overestimate the melting. Methods to reduce erroneous glacier melt, for example introduce model limitations for the maximum glacier melt, from each grid and time step based on the glacier-covered area should be investigated.

**CONCLUSIONS**

Water from glacier- and snowmelt is important for both early spring flow and peak flow during the summer monsoon in the high altitude river basins of the Himalaya. Three different parameterizations of the snowmelt routine with varying complexity have been evaluated for the Upper Beas basin including four sub-basins. The models were run on a daily time step and a spatial resolution of $1 \times 1 \text{km}^2$ using a combination of local and global data sets. The following conclusions are drawn from the study:

- The three snowmelt parameterization routines performed equally well with respect to simulated discharge for the calibrated period with NSE as objective function. Variability in input data, input data processing and interpolation, likely have a larger influence on model performance than the choice of snowmelt routine.
- None of the models was able to predict the negative trend in discharge observed for the sub-basins Sainj, Parvati and Manali for the study period. This is likely caused by (i) static glacier parameterization, (ii) precipitation interpolation routine overestimating high altitude precipitation and thus, snow storage or a combination. It is noted that Tirthan, experiencing no trend in observed discharge, was better predicted.
- The water balance components showed minor seasonal differences among the models. However, discharge is overestimated in the pre-monsoon period for all models and sub-basins, suggesting a too early melt onset in the model.

Increased model complexity did not enhance the model performance for the Upper Beas basin, implicating that downscaling the WFD gives too rough estimates for wind and radiation to be representative for challenging regions with complex topography. Validation of downscoped radiation and wind by surface observations is difficult since local data is missing. Further studies evaluating optimum downscaling strategies for this region should be encouraged. Implementation of a dynamic glacier module and different precipitation interpolation routines should be further investigated for improved simulation of glacier- and snowmelt. Seasonality in model parameters and a better differentiation in sub-basins parameter values should be considered in future calibration schemes.

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