Estimating evapotranspiration over vegetated surfaces based on wet patch patterns
Peiyuan Li and Zhi-Hua Wang

ABSTRACT
Evapotranspiration (ET) is a critical component of the hydrological cycle and natural water-energy nexus. The dynamics of soil water content ($\theta$) in the top surface layer, regulated by local climate, predominates the surface energy exchange and ET behavior. In this study, we proposed a novel ET-$\theta$ relation using a physically based wet patch radius coupling the near surface turbulent transfer and soil water availability. The model is tested against the dataset from eddy covariance (EC) sites in the AmeriFlux network. The results show that ET rate is supply-driven under low soil moisture conditions since the plant controls the transpiration rate to conserve water due to water stress. While in energy-limited condition, increasing soil moisture will not promote ET rate as it is bounded by the lower atmospheric demand. The proposed method is practically designed to calculate ET using variables readily measured by standard EC towers such as soil moisture and meteorological measurements. The method can also potentially be extended to predict the spatial and physical patterns of ecosystem services under different hydroclimatic conditions.

Key words | AmeriFlux towers, evapotranspiration, land–atmosphere interactions, soil moisture, vegetated surfaces, wet patches

INTRODUCTION
The actual evapotranspiration (ET) rate over vegetated surfaces is regulated by many factors, including the energy and water availability at the land surface, land cover type, geomorphology, near-surface atmospheric condition, etc. (Brutsaert 1982). The water content in topsoil controls the surface energy exchange and the growth of plants. Hence, the temporal dynamics of soil moisture ($\theta$) usually determine ET over vegetated surfaces. In previous hydrological or ecohydrological studies, ET was formed piece-wise linearly (Wetzel & Chang 1987; Laio et al. 2001; Guswa et al. 2002; Lu et al. 2011) or in power function with soil moisture through statistical approaches based on empirical data (Longobardi & Khaertdinova 2014). However, the geo-statistical methods oversimplified the dynamics of ET-$\theta$ interactions. Essentially, the spatial and temporal patterns of $\theta$ largely depend on the characteristics of the local climate (Lawrence & Hornberger 2007), leading to ET estimation dependent on climate variables such as Bowen ratio and dryness index in the Budyko curve.

While extensive research efforts have been devoted to establish accurate ET-$\theta$ relationships, linking the two variables involves a complex of interactions in the soil–vegetation–atmosphere continuum. Practical, and hence, applicable methods therefore need to account for the fine balance between the complexity of real physics, mathematical tractability, and portability to different geographic and climate zones, without significantly compromising the accuracy. In-depth reviews for different types of methods for estimating ET can be found in Xu & Singh (2000, 2001), Kumar et al. (2012) and Yang (2015). Conventionally, the most widely used Penman–Monteith (P-M) method (Penman 1948; Monteith 1965) estimates ET for crops and other homogeneous vegetated surfaces by quantifying the surface condition via the surface conductance, which

\[ \text{ET} = \frac{L_{\text{ref}} \cdot \text{ET}_{\text{act}}}{R_{\text{nc}}} \]

where $L_{\text{ref}}$ is the reference latent heat flux, $\text{ET}_{\text{act}}$ is the actual ET, and $R_{\text{nc}}$ is the net radiation. As for the non-vegetated surfaces, the Penman–Monteith method needs to use an empirical factor to account for the effect of vegetation on ET. In contrast, the proposed method is physically based and can be applied to both vegetated and non-vegetated surfaces without adjustment, as long as the soil moisture is available. This makes the method more practical and applicable to different geographic and climate zones.

serves as the intermediate parameter and needs to be estimated from the active leaf area index (LAI) and the stomatal conductance. However, stomatal conductance varies from one crop to another depending on plant types, properties, and spatial distribution (Jarvis & McNaughton 1986). Plants under different growing phases and meteorological conditions show different stomatal conductance as well (Buckley & Mott 2013; Buckley 2017), therefore, the accurate estimation of surface conductance remains a challenging task. For example, Li et al. (2015) tested 12 surface conductance models in an arid environment and calculated that the model with best accuracy requires six parameters and careful calibration from measured data. On the other hand, the FAO 56 Penman–Monteith equation standardizes the surface conductance, calculating ET over a reference vegetated surface (Allen et al. 1998). This method is applicable to other crops by applying a constant crop factor to the reference evapotranspiration (ET₀) rate. Although different crop factors could be chosen during the different growth phases of the plants, this method assumes ET between any other vegetation and the reference crop following a linear relation during the growing season; its applicability is rather limited to crops only.

For non-homogeneous surfaces, ET is considered as a composite of bare soil evaporation and plant transpiration and usually simulated by dual-source models. One dual-source model assumed a semi-transparent canopy layer that covers the bare soil and intercepts a portion of solar radiation, thus reducing the energy input to the soil below (Shuttleworth & Wallace 1985). This model was typically applied to dense vegetated surfaces. Another approach, termed patch model, assumes that both canopy and bare soil receive energy input directly, as the open space over bare soil is sufficient for full energy input when vegetation grows sparsely (e.g., Lhomme et al. 1994). The total available energy is then partitioned as proportional to the plant–soil area ratio (Lhomme & Chehbouni 1999). In both cases, E can be estimated using the soil evaporation models, such as those based on Schlünder’s drying theory (Schlünder 1988a, 1988b, 2004) over porous media (Haghighi et al. 2013); while the plant transpiration is estimated using equivalence between the canopy and an imaginary big leaf, enabling applicability of ET estimate for homogeneous surfaces, e.g., the P-M method. Nevertheless, the dual-source models loosely integrate plant–soil interactions and their applications were still limited to either very dense or sparse vegetation surfaces (Guan & Wilson 2009; Yang 2015). A family of hybrid dual-source models has lately been developed to combine the two basic approaches and is capable of differentiating the inter-canopy soil evaporation from under-canopy soil evaporation. For example, the TVET model (Guan & Wilson 2009) shows good accuracy in partitioning potential evaporation and transpiration, with further modification by Yang (2015). Haghighi & Kirchner (2017) introduced the near-surface turbulence to explore the ET-θ relation under the framework of the hybrid dual-source scheme that used Schlünder’s drying theory and a big-leaf transpiration model. However, both the algorithms proposed by Yang (2015) and Haghighi & Kirchner (2017) still relied on the estimation of stomatal and surface conductance.

The demanding data requirement and the uncertainties in parameter estimation of the P-M method and dual-source model stimulated researchers to create more practical methods to calculate ET with reasonable accuracy. A versatile approach is to utilize an extension of the ET-θ relation to calculate ET from potential evapotranspiration (Eᵰ). The ET-θ relation is further quantified by a reduction factor (also called stress factor, ET coefficient in some literature), which accounts for the derivation from the actual water availability and meteorological condition to the potential scenario. Eᵰ can be estimated through multiple well-established methods like Penman (1948), or Thornthwaite equation (Thornthwaite 1948; Thornthwaite & Mather 1955), and Priestley & Taylor (1972). The reduction factor (β) was parameterized by Nappo (1975) on six types of bare soils, Xue et al. (1991) on 12 types of vegetated surfaces, and Mintz & Walker (1993) on grass-covered surfaces, using statistical regressions. These studies treated β either as a single variable function of soil wetness or as a multi-variable function of relative water content and other meteorological parameters due to their determinative roles in controlling ET. Kurc & Small (2004) compared ET-θ relation with β-θ relation using observation data over grassland and shrubland during the monsoon seasons in central New Mexico, with conclusive similarity between ET-θ and β-θ relations. Despite its versatility, the β-θ relation formulated in the literature was largely limited to homogeneous surfaces with localized climate conditions.
For ET over vegetated surfaces, analogous to the bare soil case described by Schlünder, wet patches on surfaces start to develop as the drying front propagates in the vadose zone, creating heterogeneous patterns of water availability and influencing $\beta\theta$ relation and surface energy exchange. In this study, we extended Schlünder’s drying theory over micro-scale bare soil case to macro-scale vegetated surfaces through the analogy between water molecular diffusion and the eddy diffusive convection. A new practical method is proposed to quantify the $\beta\theta$ relation based on Schlünder’s solution to the drying process when the ratio of wet patch radius to the diffusive path is greater than 0.01 (Schlünder 1988a). The wet patch radius is used as an intermediate variable to represent the average size of the wet area over a large vegetated surface, weakening the surface homogeneity assumption used in the P-M method and releasing the dependency on the empirical stomatal resistance terms. The wet patch radius is derived using the statistical analysis on the long-term energy fluxes and soil moisture observations from nine US AmeriFlux sites. The proposed approach aims to provide a physically based yet mathematically tractable method for ET estimation by linking ET, $\theta$, and climate-dependent vegetation covers together via the evolution of wet patch patterns.

**MODEL DESCRIPTION**

The potential evaporation rate $E_p$ is defined as the ET rate over a large homogeneous area under a given climate condition with unlimited water supply. $E_p$ can be measured through pan evaporation or commonly estimated by the Penman (1948) method. The Penman method was derived based on surface energy balance and the sink strength to calculate evaporation over open waters. It reflects the demand for evaporation, and is used to calculate potential evaporation rate in this study, as:

$$E_p = \frac{Q_{ne}}{\Delta + \gamma} + \frac{E_A}{\Delta + \gamma}$$

where $\Delta$ is the slope of the saturation vapor pressure curve; $\gamma$ is the psychrometric constant; $Q_{ne}$ is the ratio of total available energy to latent heat of vaporization; $E_A$ is the drying power of unsaturated air, estimated using the product of air vapor pressure deficit (VPD) and an empirical wind function.

Due to the limited availability of soil water content, the actual ET is usually smaller than $E_p$ over vegetated surfaces under water stress. The derivation from the ideal condition is expressed through a reduction factor ($\beta$), which enables the calculation of ET from $E_p$ (Mintz & Walker 1993; Mahfouf et al. 1996):

$$ET = \beta \cdot E_p$$ (2)

With limited soil water supply, ET drives the drying process of the top-soil layer. Jointly controlled by atmospheric demand of ET and by internal transport properties of soils, the drying front propagates from the surface to the vadose (unsaturated) zone (Shokri et al. 2008, 2012). Schlünder (1988a) described the evaporation process over a partially wetted bare soil surface as the water molecules on the partially saturated area diffuse through the viscous sublayer (Figure 1(a)). The drying process is driven by the vapor pressure deficits among saturation vapor pressure ($e^*$), vapor pressure at the distance of a patch size ($e^0$), and the external vapor pressure ($e^\infty$). The Stefan diffusion equation was applied to the two vapor pressure deficit zones to

![Figure 1](http://iwaponline.com/hr/article-pdf/50/4/1037/584580/nh0501037.pdf)
calculate the actual vapor flux penetrating the area of a single wet patch \(4l^2\). The relative drying rate is obtained by dividing the actual vapor flux by the vapor flux over a fully wetted surface. The detailed derivation of the relative drying rate on bare soil is given by Schlünder (1988b). An approximation of the relative drying rate is given by:

\[
\frac{M_v}{M_{v,I}} = \left[1 + \frac{\pi}{2\epsilon} \sqrt{n_4} \left(\sqrt{\pi} \frac{4\theta}{\epsilon} - 1\right)\right]^{-1} \tag{3}
\]

where \(M_v\) is the actual vapor flux over a wet patch; \(M_{v,I}\) is the vapor flux from a saturated surface; \(r\) is the radius of the saturated wet patches (water droplets in Figure 1(a)); \(\epsilon\) is thickness of the viscous layer; \(\varphi\) is the relative wetted surface area \(4l^2/\pi^2\).

ET over the vegetated surface is complicated due to the presence of vegetation in addition to bare soils. Evaporation occurs in soil pores, while transpiration happens inside of the plant stoma with guard cells as additional valves to control the rate of vaporization. The driver of vaporization, VPD is regulated by water availability as well as the external demand due to available energy and turbulent transport efficiency. Ács (2003) investigated the relation between soil moisture to evaporation and transpiration separately, and showed that the difference of evaporation and transpiration is not significant over inhomogeneous surfaces (Ács 2003 Figure 4(b)). Therefore, we attempted to apply Equation (3) over a vegetated surface, with modified wet patch areas reflecting the surface characteristics of vegetation, for eddy diffusive process within the mixing layer. Over vegetated surfaces, as shown in Figure 1(b) in comparison to bare soils, the viscous sublayer height can be replaced by the boundary-layer height \(\delta_b\), the relative wetted surface area is replaced by volumetric soil moisture \(\theta\), and the radius of the saturated area is described as the average wet patch radius \(R_{wp}\) such that:

\[
\beta(R_{wp}, \delta_b, \theta) = \left[1 + \frac{\pi R_{wp}}{2 \delta_b} \sqrt{\pi} \frac{4\theta}{\epsilon} \left(\sqrt{\pi} \frac{4\theta}{\epsilon} - 1\right)\right]^{-1} \tag{4}
\]

While soil water content \(\theta\) can be readily measured, the determination of \(\delta_b\) and \(R_{wp}\) requires additional effort. When the atmosphere is under neutral condition, the vertical wind profile can be assumed to follow the log-law, i.e.:

\[
u_z = \frac{u^*}{\kappa} \ln \left(\frac{z - d}{z_0}\right) \tag{5}\]

where \(u_z\) is the wind speed at height \(z\); \(d\) is the zero-plane displacement height; \(z_0\) is the roughness height; \(\kappa\) is the Von Kármán constant. Thus, \(\delta_b\) can be estimated as level \(z\) that the wind speed increases to free stream velocity \(u^*\) (Brutsaert 1982) or as the increase of the wind speed with altitude is relatively small (e.g., \(dz_u/\text{dz} < 0.01\)). Here, we aim to estimate ET with physical quantities that are readily measurable in field campaigns, e.g., using eddy covariance (EC) flux towers and soil moisture sensor. To find the estimation of the wet patch radius, the reduction factor was first calculated by Equation (2) using the measured latent heat flux as ET and \(E_p\) that was calculated by the Penman method. With soil moisture records and the calculation of \(\delta_b\) in Equation (5), the wet patch radius can be first estimated by Equation (4). The estimated wet patch radius was statistically regressed on soil moisture to find an analytical curve fitting the data throughout the observation period. The selection was based on the overall goodness of fit \(R^2\). At last, wet patch radius and soil moisture follow an exponential relation as:

\[R_{wp} = c_1 \exp(c_2 \theta) \tag{6}\]

where \(c_1\) and \(c_2\) are regression coefficients, which is vegetation type dependent but climate independent. The physical meaning of the coefficients will be discussed in more detail later.

**FIELD MEASUREMENT SITES AND DATASET**

To test the numerical model proposed in this study, we adopted a dataset obtained from nine EC observation sites from AmeriFlux network. Continuous micrometeorological measurements, including air temperature, humidity, soil water content at two depths (5 cm and 10 cm below the surface), wind speed, sensible heat flux, and latent heat flux, were made at each site. The direct observations were
aggregated into 30-min average time series datasets and published on the AmeriFlux website (http://ameriflux.lbl.gov). The soil water content measurement at the topsoil (0 cm–10 cm depth) that was available was used to represent the surface soil moisture. To account for different vegetation types, the sites were selected based on the main vegetation cover classified by the International Global Biosphere Programme (IGBP) land cover classification system (FRA 2000). The sites primarily contain three types of land cover types, namely, grassland (GRA), closed shrubland (CSH), and evergreen needle leaf forest (ENF) (see Table 1). The locations of the sites were selected across the USA to cover different climate conditions (Figure 2). The mean annual temperatures among the sites vary from 1.5 °C to 21.9 °C, and mean annual precipitations vary from 333 mm to 1,820 mm. Detailed information on the site measurements is listed in Table 1.

RESULTS AND DISCUSSION

The results of correlating the soil moisture and wet patch sizes are shown in Figure 3. With the increase of soil moisture, wet patch radius increases exponentially. For different plant types, the results of regression differentiate from each other as a consequence of different responses of the wet patch radius to the change of soil moisture. The slopes of linear regression, namely $c_2$ values, dictate the rate of change in $R_{wp}$ to soil wetting/drying processes. Vegetation yielding larger $c_2$ value has a quicker response to soil moisture change, resulting in rapid change of wet patch radius, and in turn, more rapid change of ET rate. The ET rate of evergreen needleleaf forest is most sensitive to soil moisture content; a similar trend was found in grassland. This result agrees well with the observation by Wolf et al. (2014). The change of $R_{wp}$ in response to soil moisture is not significant in shrublands. Living in a water-limited climate, shrubs are less susceptible to water stress and their robust water conserving biophysical functions allow them to sustain water stress for a longer time and to utilize water more efficiently; thus, even with ample soil water supply, shrubs do not fully utilize transpiration capacity for water conservation purpose. The relation between soil moisture and $R_{wp}$ is rather consistent for the specific type in different climate conditions. Thus, type of vegetation is apparently the control parameter if the model is to be applied at different sites.

The comparisons between observations and estimation of hourly ET are shown in Figure 4 for different land cover types. Overall, the ET rate estimated by the proposed method matches with all field observations reasonably well. It is noteworthy that dense plant canopies or large LAI (e.g., forest and grassland) effectively shadow the ground and reduce the amount of available energy impinged on the soil surface (Rothfuss et al. 2010). This effect leads to a

<table>
<thead>
<tr>
<th>Site name</th>
<th>Land cover (IGBP)</th>
<th>Lat.</th>
<th>Long.</th>
<th>Elev.</th>
<th>Climate classification*</th>
<th>Canopy height (m)</th>
<th>Mean annual P (mm)</th>
<th>Mean annual T (°C)</th>
<th>Data period</th>
<th>Reference</th>
</tr>
</thead>
<tbody>
<tr>
<td>Wlr</td>
<td>GRA</td>
<td>37.52</td>
<td>–96.86</td>
<td>408</td>
<td>Cfa</td>
<td>0.3</td>
<td>881</td>
<td>13.5</td>
<td>2001/08/14–2004/09/12</td>
<td>Cook &amp; Coulter (2004)</td>
</tr>
<tr>
<td>Goo</td>
<td></td>
<td>34.25</td>
<td>–89.87</td>
<td>87</td>
<td>Cfa</td>
<td>0.3</td>
<td>1,426</td>
<td>15.9</td>
<td>2002/05/06–2006/11/28</td>
<td>Meyers (2006)</td>
</tr>
<tr>
<td>KUT</td>
<td></td>
<td>45.00</td>
<td>–93.19</td>
<td>301</td>
<td>Dfa</td>
<td>0.3</td>
<td>777</td>
<td>7.9</td>
<td>2007/08/14–2009/04/30</td>
<td>McFadden (2009)</td>
</tr>
<tr>
<td>SO4</td>
<td>CSH</td>
<td>33.38</td>
<td>–116.64</td>
<td>1,429</td>
<td>Csa</td>
<td>2.3</td>
<td>576</td>
<td>13.3</td>
<td>2004/01/05–2006/11/12</td>
<td>Oechel (2019)</td>
</tr>
<tr>
<td>Rls</td>
<td></td>
<td>43.14</td>
<td>–116.74</td>
<td>1,608</td>
<td>BSh</td>
<td>0.6</td>
<td>333</td>
<td>8.4</td>
<td>2015/04/06–2016/12/21</td>
<td>Flerchinger (2019)</td>
</tr>
<tr>
<td>MRF</td>
<td></td>
<td>44.65</td>
<td>–123.60</td>
<td>263</td>
<td>Csb</td>
<td>25.0</td>
<td>1,820</td>
<td>10.2</td>
<td>2006/04/03–2011/05/01</td>
<td>Law (2019)</td>
</tr>
<tr>
<td>NR1</td>
<td></td>
<td>40.03</td>
<td>–105.60</td>
<td>3,050</td>
<td>Dfc</td>
<td>11.5</td>
<td>800</td>
<td>1.5</td>
<td>2005/09/08–2010/10/27</td>
<td>Blanken (2019)</td>
</tr>
</tbody>
</table>

*Köppen climate classification (Kottek et al. 2006).
Cfa, humid subtropical climate; Dfa, hot-summer humid continental climate; Csa, hot-summer Mediterranean climate; BSh, hot semi-arid climate; Cwa, monsoon-influenced humid subtropical climate; Csb, warm-summer Mediterranean climate; Dfc, subarctic climate.
consistently transpiration-dominated ET pattern for grasslands and forests over the full range of soil moisture. In contrast, owing to the relatively large fraction of open (exposed) bare soil surface, shrublands experience a shift from plant transpiration to soil evaporation as soil moisture decreases (the threshold at $\theta \sim 0.15$). This shift, in turn, results in less consistency of the ET pattern over shrublands in general, and is responsible for the overall lower goodness of fit ($R^2$) in the model performance (Figure 4(d)–4(f)). Nevertheless, the realistic quantification of the relation between soil water content and the wet patch size will involve more complex biophysical and environmental determinants of plants, such as plant species, foliage, root water uptake, seasonal variability, and meteorological and geomorphological conditions. Thus, further studies are needed to quantify key parameters and their impact on ET via wet patch sizes and soil water dynamics.

When examining the effect of soil moisture on the reduction factor, their relation shows a high non-linearity and is determined by the ratio of average wet patch radius to constant flux layer height (Figure 5). Qualitatively, the long-term average boundary-layer height is influenced by canopy height and friction velocity in local scale. Its variation is within an order of magnitude from 52 m (over grassland) to 192 m (over forest). The variability of the average wet patch radius is relatively large, from several meters (over dry grassland) to thousands of meters (over wet forest). The change of $k$, defined as $k = R_{wp}/\delta_b$, is primarily due to
the change of soil moisture, governed by seasonal precipitation and air humidity. Physically, the parameter $k$ is analogous to the aridity index (potential ET/precipitation) in the Budyko curve, and can be interpreted as a climate dryness index. Small $k$ values represent conditions like arid tropical climate with strong convection in the boundary layer, ample energy supply, but limited precipitation, such that ET is primarily constrained by water availability. In contrast, large $k$ values represent humid climate with excessive precipitation, limited energy supply, and weak turbulent transport. Landscapes with greater annual precipitation and more frequent cloudy days tend to have larger average

Figure 4 | Results of comparison between observed and estimated ET: grassland (a) Wlr; (b) Goo; (c) KUT; closed shrubland (d) S04; (e) FR3; (f) Rls; evergreen needleleaf forest (g) KS1; (h) MR6; (i) NR1. The site names follow the definition in Table 1. The scattered points are 30-min averaged ET data.
wet patch radius, thus larger $k$, and vice versa. For small $k$ ($k < 0.2$), the change rate of reduction factor regarding the soil moisture ($d\beta/d\theta$) is much greater when $\theta \sim [0, 0.1]$ than it is at larger $\theta$ range. The value of $\beta$ is close to 1 when the surface is humid, indicating smaller $k$ represents a climate with excessive energy supply, high mean temperature, and low chance of rainfall. When $k$ is greater than 2, the reduction factor is smaller than 0.5 with a rather constant $d\beta/d\theta$ over different $\theta$ values.

For natural systems, $k$ value can be treated as a climate-dependent or weather-dependent variable. The results are consistent with previous findings. For example, Vivoni et al. (2008) monitored ET and soil moisture in the North America monsoon region, where the mean annual temperature is 18 °C and the annual precipitation is 563 mm with a significant seasonal variation. A piece-wise linear function, which was introduced by Laio et al. (2001), is used to describe the ET–soil moisture relation in the study. The measurement data points fall between $k = 0.01$ and $k = 0.5$ (Figure 5). Longobardi & Khaertdinova (2014) used ET and soil moisture measurements in southern Italy, which has around 1,000 mm annual precipitation. Most of the data points are in the range of $2 < k < 10$ (Figure 5). In Longobardi & Khaertdinova (2014), a power function relation is suggested for $\beta$–$\theta$ relation and surface saturation was observed when $\theta \sim 0.28$. In this case, the variation of $\beta$ largely depends on change of $E_p$ due to energy availability. Kurc & Small (2004) reported cloudy weather will reduce $\beta$. The total precipitation over the monsoon period (about three months) is 210 mm, thus the overall measurement has an intermediate range of $k$.

CONCLUDING REMARKS

In this study, we developed a novel approach for estimating ET based on the soil moisture dynamics in the soil–vegetation–atmosphere continuum, via an intermediate parameter, namely, wet patch radius. A reduction factor that is obtained using an analogy to the solution to the relative drying rate over a partially wetted bare soil surface at pore scale was used to link the actual ET rate to potential ET. The reduction factor was constructed as a function of wet patch radius, the boundary-layer height, and the soil moisture; all can be directly obtained or readily derived from field measurements. In particular, an exponential correlation between soil moisture and the wet patch radius was derived by statistical regression. In general, the ET rate can be characterized by plant types and local climates. The characteristic wet patch radius can be physically interpreted as a spatial pattern of response of different vegetation to water stress.

In practice, the proposed method can be applied by following a rather straightforward procedure. First, by selecting the site where ET is to be estimated, soil moisture content can be obtained from field measurements (be it standalone or as a by-product of flux tower measurement). Partial time series of the soil moisture data (truncated for model calibration) will be needed for estimating the wet patch radius by Equation (6), through regression analysis. The estimated wet patch radius can then be used to find the reduction factor $\beta$ from Equation (4) in conjunction with the determination of boundary-layer height via wind profile via Equation (5). Lastly, the reduction factor can be applied to the potential ET rate (e.g., using the Penman method in Equation (1) to determine the actual ET). Iteration can be applied to adjust the regression coefficients in the calibration period of the time series to give better model accuracy. Once all model parameters are determined, they can then be applied throughout the rest of the measurement period to estimate the actual ET over the site of interest.

The primary advantage of the proposed method is that it releases the constraint of homogeneity assumption of the
P-M method as well as the dependency on the estimation of stomatal and surface resistance. Yet, it enables users to estimate the actual ET from a parsimonious set of basic micrometeorological variables with reasonable accuracy. In conjunction with remotely sensed data, the framework can be readily extended for high-resolution mapping of ET at regional or continental scales. The model is, nonetheless, sensitive to the landscape characteristics, especially the vegetation type. By resorting to statistical regression for estimating the intermediate (but essential) model parameter, namely, the wet patch radius, the model inherits the limitation and bias of linear regression. A shift of ET pattern between bare soil evaporation and plant transpiration, across some threshold soil water content, can potentially engender inconsistency in model parameter space and lead to degraded model performance. Further study is thus needed to improve the proposed model by incorporating more realistic representation of landscape and environmental determinants, but retaining the simplicity of the fundamental framework.

ACKNOWLEDGEMENTS


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